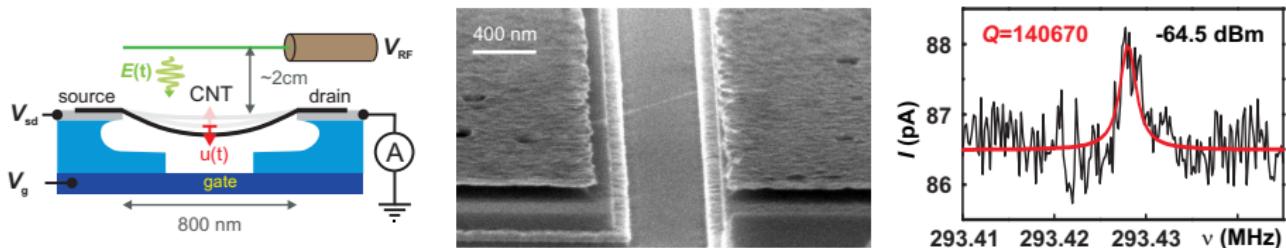


Carbon nanotubes as ultrahigh-Q mechanical resonators at 300MHz

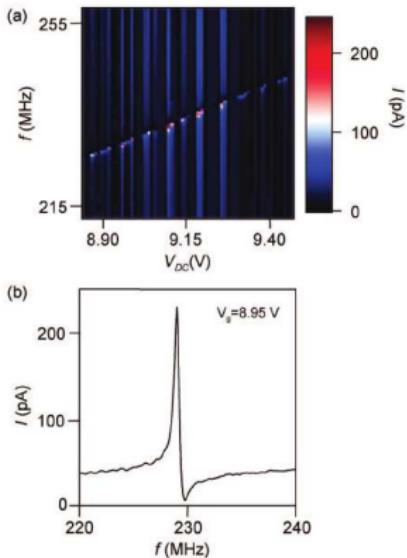
Andreas K. Hüttel*, Gary A. Steele, Benoit Witkamp, Menno Poot
Leo P. Kouwenhoven, Herre S. J. van der Zant



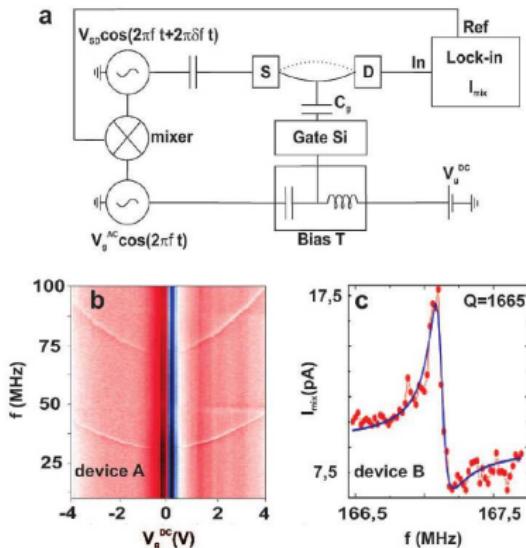
*Present address: Institute for Experimental and Applied Physics,
University of Regensburg, Germany

Nanotubes as beam resonators — up to now

complicated setup — even at 1K, maximally $Q \simeq 2000$



Atomic-Scale Mass Sensing Using Carbon Nanotube Resonators
Hsin-Ying Chiu, Peter Hung, Henk W. Ch. Postma and Marc Bockrath
Nano Lett., 2008, 8 (12), pp 4342–434



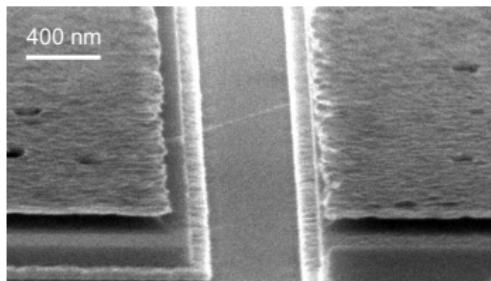
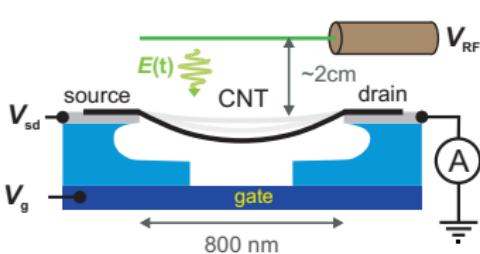
Ultrasensitive Mass Sensing with a Nanotube Electromechanical Resonator
B. Lassagne, D. Garcia-Sanchez, A. Aguasca and A. Bachtold
Nano Lett., 2008, 8 (11), pp 3735–373

Why low Q?

Many possible reasons.

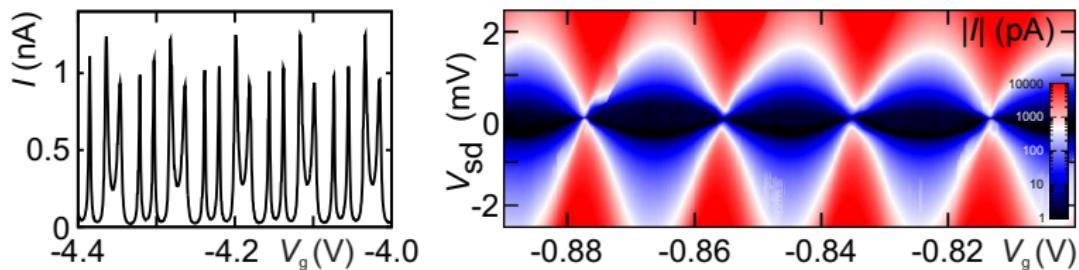
- HF cables directly to sample: **heating**, noise
- Contamination of the nanotubes during lithography
- Clamping points?

Chip fabrication and measurement setup

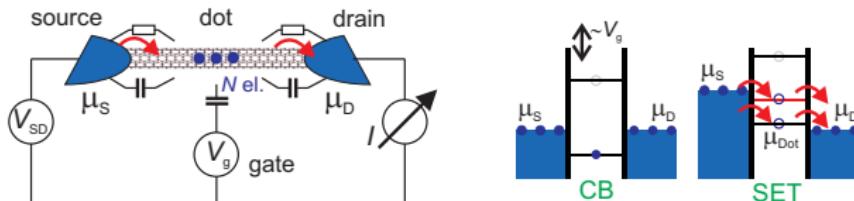


- Basic chip geometry and fabrication as already shown by Georg Götz
- Additional wet-etch step to suspend the nanotube over full length
- All gate areas connected to a single gate voltage source V_g
- RF antenna suspended $\sim 2\text{cm}$ above chip
- Dilution refrigerator ($T \simeq 20\text{ mK}$)
- Only dc measurement

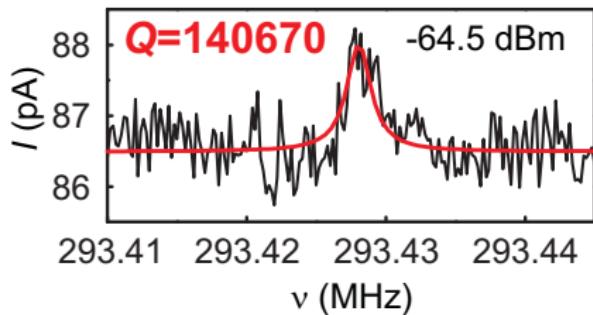
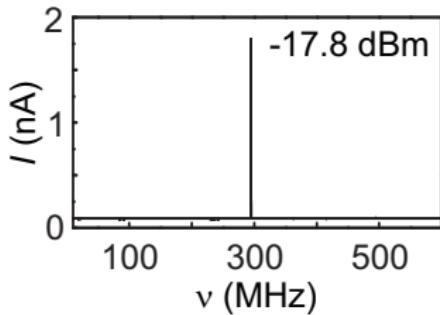
dc Coulomb blockade measurement — beautiful diamonds



highly regular quantum dot within the nanotube

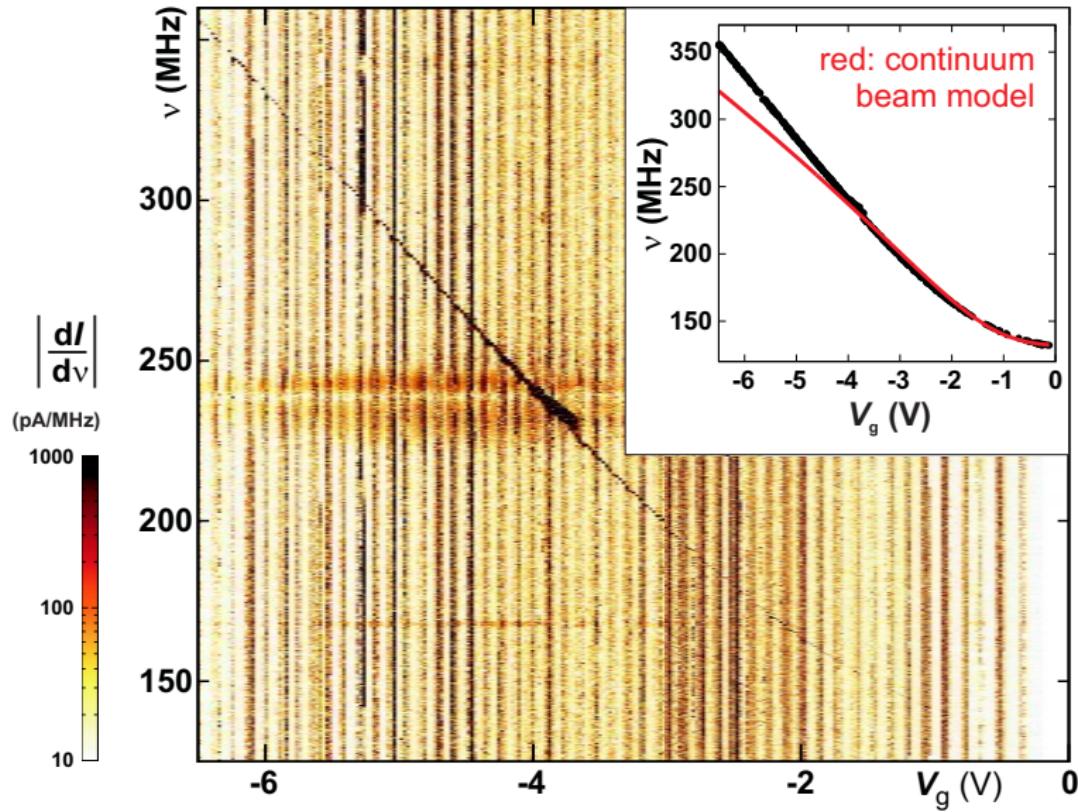


Fixed V_g and V_{SD} , sweep of RF signal frequency

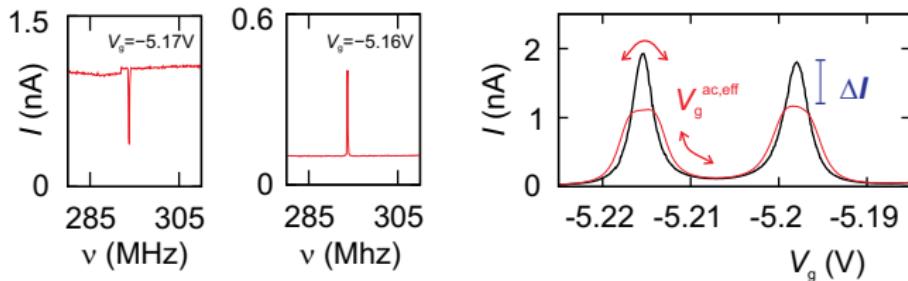


- Sharp resonant structure in $I_{dc}(v)$
- Very low driving power required
- From FWHM, $Q \simeq 140000$

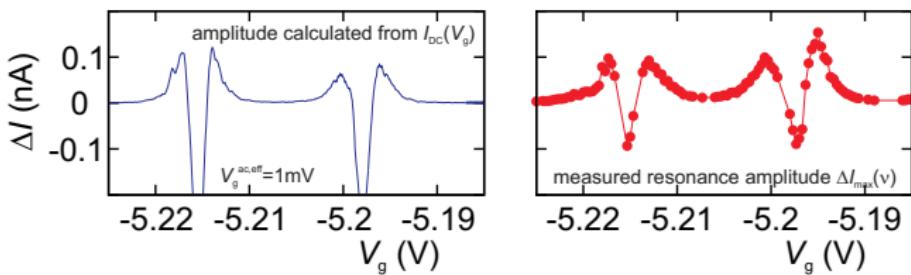
V_g dependence — this is really a mechanical resonance!



Detection mechanism — mechanically induced averaging



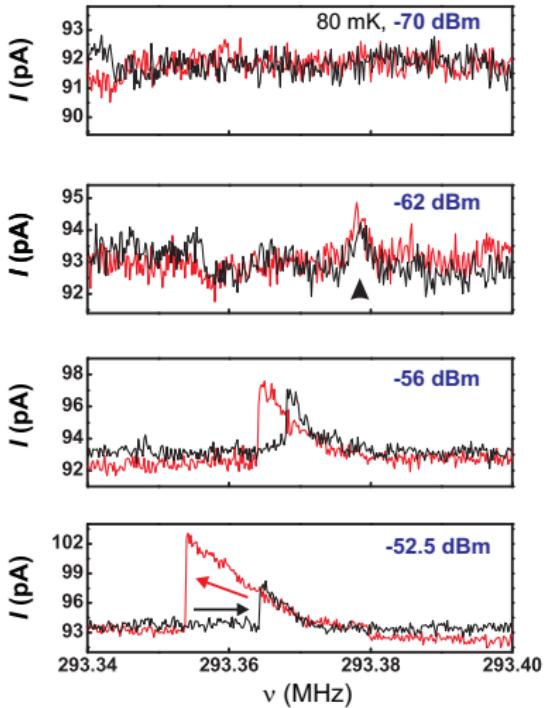
- at resonant driving the nanotube position oscillates
- oscillating C_g —→ averaging over CB oscillations



Some numbers

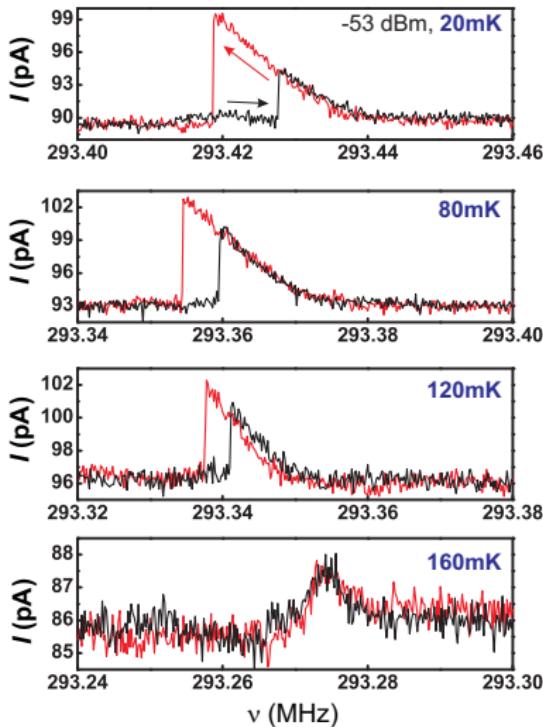
- Resonance frequency $120 \text{ MHz} \lesssim \nu \lesssim 360 \text{ MHz}$
- Zero-tension frequency consistent with CNT diameter from band gap
- V_g dependence of frequency consistent with bending vibration mode
- Quality factor up to $Q \simeq 150000$
- Estimated motion amplitude at resonant driving $\sim 250 \text{ pm}$
compare thermal motion 6.5 pm , zero-point motion 1.9 pm

Driving into nonlinear response...



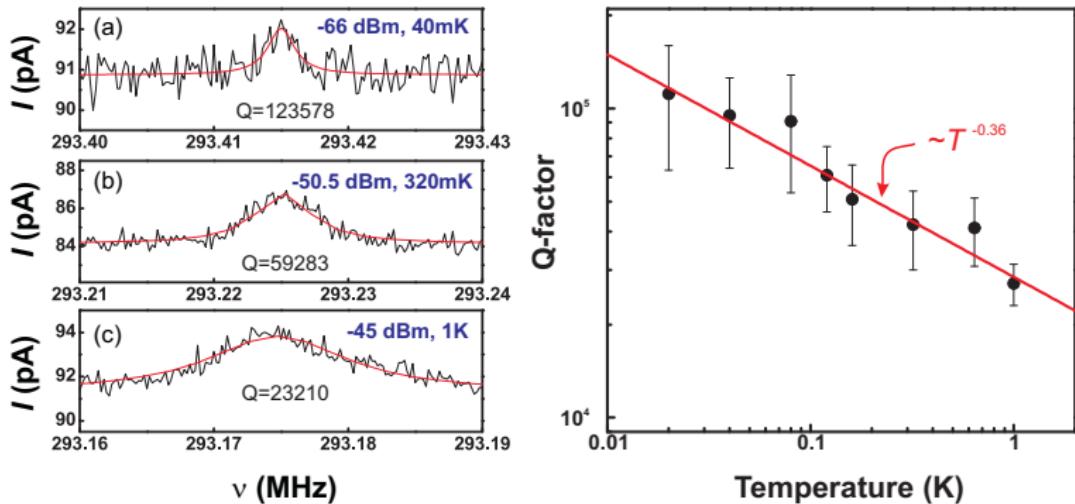
- same temperature
- same working point V_g , V_{SD}
- low driving power:
symmetric, “linear” response
- high driving power:
asymmetric response, hysteresis
Duffing-like oscillator

... and then increasing the temperature



- same driving power
- same working point V_g , V_{SD}
- low temperature:
asymmetric response, hysteresis
Duffing-like oscillator
- high temperature:
symmetric, “linear” response
peak broadening

Temperature dependence of Q



$Q(T)$ fits power law prediction for intrinsic dissipation in nanotube

→ H. Jiang *et al.*, Phys. Rev. Lett. **93**, 185501 (2004)

Summary & outlook, but no conclusion yet!

- Nanotube as light, extremely tunable high- Q RF resonator
- Self-detection of motion via dc current
- Easy driving into nonlinear oscillator regime
- $Q(T)$ is consistent with intrinsic dissipation model
- Application as mass sensor: sensitivity $4.2 \frac{u}{\sqrt{\text{Hz}}}$
- Without driving: mechanical thermal occupation $n \simeq 1.2$
- “Large-scale phenomena” of the system – but stay tuned for more!